

9th - CBSESection: A

$$1) \sqrt[5]{4\sqrt{(2)^4}} = \sqrt[5]{2^3} = \sqrt[5]{8}$$

2) Adjacent angles :- Two angles are called adjacent if

- i) They have the same vertex,
- ii) They have a common arm &
- iii) Their non-common arms are on either side of the common arm.

3) Axioms or postulates are the assumptions which are obvious universal truths.

Section: B

$$4) a^3 - b^3 = (a-b)(a^2 + ab + b^2)$$

$$= (a-b) \{ (a-b)^2 + 3ab \}$$

$$= 4 \{ 4^2 + 3(4 \times 5) \}$$

$$= 4 \times 151$$

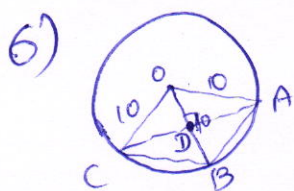
$$a^3 - b^3 = 604$$

$$\therefore \begin{cases} a-b = 4 \\ ab = 45 \end{cases}$$

5) i) Abscissa = 3 units

ii) Ordinate = 4 units

iii) Coordinates of point P = (3, 4)



As the diagonals of Rhombus bisect each other at 90° .

$$\therefore OB = OD, \therefore OD = 5 \text{ cm}$$

$$\therefore \text{By Pythagoras thm, in } \triangle ODA$$

$$AD^2 = OA^2 - OD^2$$

$$= (10)^2 - (5)^2$$

$$= 100 - 25 = 75$$

$$\therefore AD^2 = (5\sqrt{3})^2$$

$$\therefore AD = 5\sqrt{3} \text{ cm}$$

$$\begin{aligned} \therefore \text{Area of the rhombus} &= \frac{1}{2} d_1 d_2 \\ &= \frac{1}{2} (OB) (CA) \\ &= \frac{1}{2} \times 10 \times 10\sqrt{3} \\ &= 50\sqrt{3} \text{ cm}^2 \end{aligned}$$

$$\begin{aligned} \therefore CA &= 2AD \\ &= 2(5\sqrt{3}) \\ &= 10\sqrt{3} \end{aligned}$$

Section: C

7) Join DE.

Given: $\angle BAD = \angle EAC$

$$\begin{aligned} \therefore \angle BAD + \angle DAC &= \angle EAC + \angle DAC \\ \angle BAC &= \angle DAE \end{aligned}$$

\Rightarrow

Now, in $\triangle ABC$ & $\triangle ADE$ we have,

$$\begin{aligned} AB &= AD \\ \angle BAC &= \angle DAE \\ \& AC = AE \end{aligned}$$

\therefore By SAS Congruence Criterion

$$\triangle ABC \cong \triangle ADE$$

$$\therefore BC = DE$$

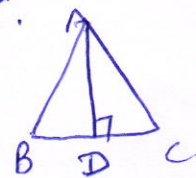
\therefore (CPCT)

OR

7) (i) Let AD be altitude from A on BC.
Suppose, D bisects BC.

i.e. $BD = CD$

To prove: $\triangle ABC$ is isosceles.



In, $\triangle ADB$,

$$AD = AD$$

$$\angle ADB = \angle ADC$$

$$BD = DC$$

\therefore Common side

\therefore Each $= 90^\circ$

\therefore given

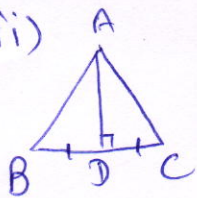
\therefore By SAS Criterion we have,

$$\triangle ADB \cong \triangle ADC$$

$$\therefore AB = AC$$

$\therefore \triangle ABC$ is isosceles

(ii)



In $\triangle ADB$ & $\triangle ADC$ we have,

$$AD = AD$$

$$\angle ADB = \angle ADC$$

$$BD = DC$$

\therefore (Common side)
 \therefore each equal to 90°
 \therefore AD is median.

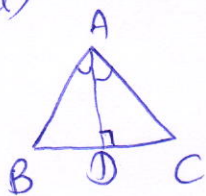
\therefore By SAS criterion of congruence,
 $\triangle ADB \cong \triangle ADC$

$$\therefore AB = AC.$$

(CPCT)

$\therefore \triangle ABC$ is isosceles.

(iii)



Let AD bisects $\angle BAC$.

$$\text{i.e. } \angle BAD = \angle CAD \quad \text{--- (i)}$$

Now, in $\triangle ABD$ & $\triangle ADC$ we have,

$$AD = AD \quad (\because \text{Common side})$$

$$\angle BAD = \angle CAD \quad (\because \text{from (i)})$$

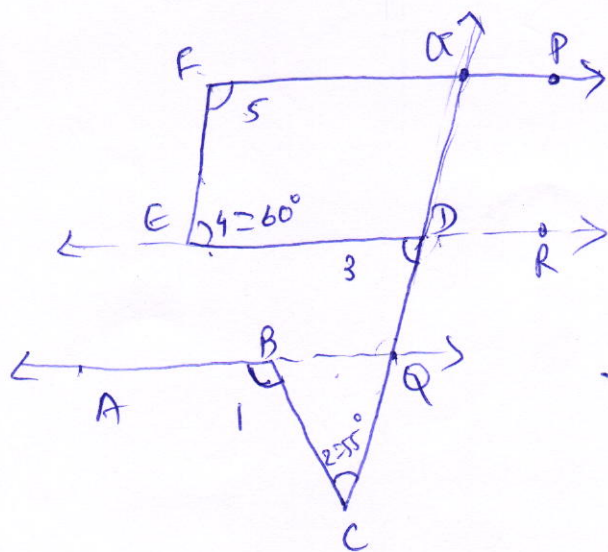
$$\angle ADB = \angle ADC \quad (\because \text{each} = 90^\circ)$$

\therefore By AAS criterion of congruence we have,
 $\triangle ABD \cong \triangle ACD$

$$\therefore AB = AC$$

$\therefore \triangle ABC$ is isosceles.

(8)



$$\rightarrow \angle 5 + \angle 4 = 180^\circ \quad \because \text{consecutive angles}$$

$$\therefore \angle 5 = 180^\circ - 60^\circ$$

$$\boxed{\angle 5 = 120^\circ}$$

$$\rightarrow \angle 5 = \angle DQP$$

$$\therefore \angle DQP = 120^\circ$$

$$\text{But, } \angle DQP = \angle QDR \quad \because \text{vert. angles}$$

$$\therefore \angle QDR = 120^\circ$$

$$\text{But, } \angle 3 + \angle QDR = 180^\circ \quad \because \text{Linear pair of angles}$$

$$\therefore \boxed{\angle 3 = 60^\circ}$$